

**Quantum Leap:
An Exploration of the Development of
Computing and Cryptography**

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Did you use a password today?

Odds are — yes.

Caesar Cipher

~50 BC
One of the first
encryption methods

Enigma Machine

WWII
15 trillion possible
combinations

RSA Today

1977–present
2048-bit+ keys
Internet standard

Three Phases of Computation & Cryptography

01

Circuitry

Shift Cipher

Physical digital logic
using ICs, breadboards,
and binary signals



02

Arduino

RSA Encryption

Hardware + software
interaction on a
microcontroller



03

Quantum

Breaking RSA

Shor's algorithm and
period-finding with
quantum resources

Shift Cipher in Hardware

How it works

1 Input

User types a number (0–25)
on a 4×4 keypad

Encode

EEPROM lookup converts to
5-bit binary representation

Encrypt

Binary adders compute
 $C = (P + K) \bmod 26$

4 Output

Seven-segment displays show
original → encrypted → decrypted

Key Components

15+ Integrated Circuits (ICs)

SN74LS83 4-bit binary adders

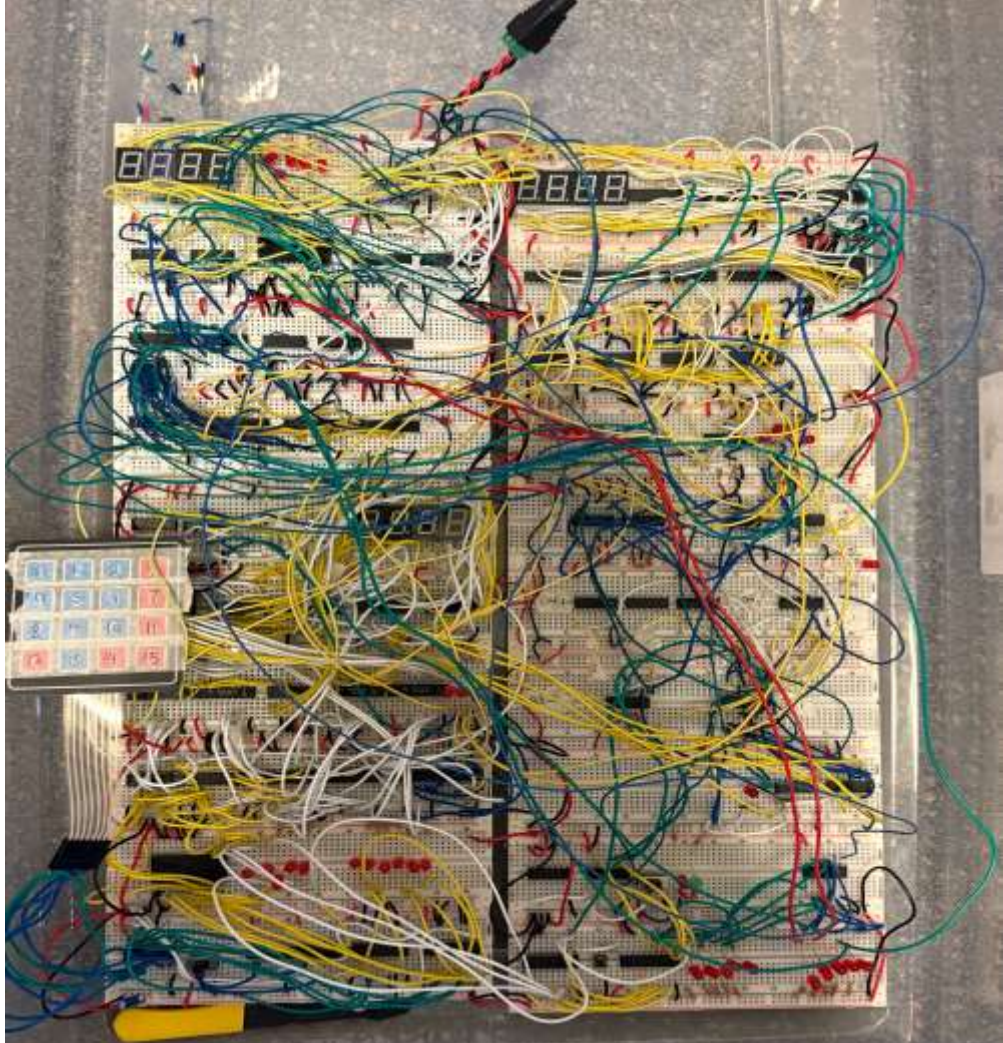
LS374 Octal flip-flops (storage)

EEPROMs as lookup tables

4×4 keypad for input

Seven-segment displays

Two's complement for decryption



RSA Encryption on a Microcontroller

Change in Strength

25 possible shift-cipher keys \rightarrow 2,147,483,648 possible RSA keys (32-bit implementation)

RSA Key Generation

Choose primes: $p = 283, q = 307$

Compute n & $\phi(n)$: $n = 86,881 \quad \phi(n) = 86,292$

Select e : $e = 7$ (coprime with $\phi(n)$)

Compute d : $d = 24,655$ (modular inverse)

Keys: Public (7, 86881) \cdot Private (24655, 86881)

Arduino UNO R3

ATMega328p microcontroller

32 KB flash + 2 KB SRAM

64-bit unsigned integers for RSA

Modular exponentiation by squaring

LCD displays encryption in real-time

4-character block processing

Breaking RSA with Shor's Algorithm

Shor's Algorithm — The Key Steps

Classical	Choose random $r < N$, coprime to N
Quantum	Find period p of $f(x) = r^x \bmod N$
Classical	Compute $\gcd(r^{p/2} \pm 1, N)$
Classical	Extract prime factors p and q
Classical	Calculate $\phi(n)$, then private key d

Live Experiment

$n = 203$ ($p=29, q=7$)

Platform: IBM Quantum

Max factorable: ~7–8 bit

Encrypted message:

172085...197085

Recovered message:

```
"iamhanding  
jake feedback  
iffinecanbefini"
```

What Comes After RSA?

Code-Based

McEliece (1978)

Based on error-correcting codes. Decoding a linear code without the private key is NP-hard.

Lattice-Based

CRYSTALS-Kyber, Dilithium

Finding the shortest vector in a high-dimensional lattice is hard even for quantum computers.

Multivariate

MQ-based systems

Solving systems of multivariate quadratic equations is NP-hard in general.

2022 NIST Post-Quantum Standards

CRYSTALS-Kyber

CRYSTALS-Dilithium

Falcon

SPHINCS+

CONCLUSION

Circuit → Shift Cipher

Arduino → RSA

Quantum → Post-Quantum

Key Takeaways

- Computing and encryption are always evolving
- RSA's security rests on factorization hardness, which quantum computers will eventually break.
- Shor's algorithm demonstrates the pipeline even at small scale
- Post-quantum algorithms (lattice-based) are being standardized now
- Innovation in security is always happening; the next standard is already being built.

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